

Direct Anonymous Attestation (DAA)



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The slides presented here were made for a DAA seminar last year

- what is DAA?
- what is DAA for?
- why DAA?
- how does DAA work?

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DAA is a signature scheme



- DAA is a signature scheme designed for TCG
 - signer: TPM (trusted platform module)
 - verifier: an external partner
- the name of **DAA** is from
 - **D**irect proof – without a TTP involvement
 - **A**nonymous – do not disclose the identity of the signer
 - **A**ttestation – statement/claim from a TPM
- DAA was adopted by TCG and specified in **TCG TPM Specification Version 1.2**, available at www.trustcomputinggroup.org
- designers: Ernie Brickell of Intel, Jan Camenisch of IBM and Liqun Chen of HP

category of signature schemes

– from a verifier's point of view



- 1–out–1 signatures: *ordinary signatures*
 - a verifier is given an authenticated public key of a signer
- 1–out–n signatures: *ring signatures, designated-verifier signatures, concurrent signatures,*
 - a verifier is given authenticated public keys of all potential signers
- 1–out–group signatures: *group signatures, DAA*
 - a verifier is given an authenticated group public key

group signatures and DAA



- a group signature has fixed-traceability and unlinkability
 - a group member certificate indicates an identity-disclosure authority
 - the authority can recover the identity of the real signer from a group signature
- a DAA signature has flexible-traceability and flexible-linkability
 - there is **no identity-disclosure authority (a DAA signature cannot be opened by any TTP)**
 - a DAA signature provides **the user-control link** that can be used to link some selected signatures from the same signer for the same verifier

- what is DAA?
- what is DAA for? – for TCG
- why DAA?
- how does DAA work?

goals of the TCG architecture



protect
user's
information

protect user's
computing
environment



ensure user's
choice on use of
security
mechanism

protect
user's
privacy

obstacle to achieving the goals of the TCG architecture



security might be fundamentally incompatible with privacy

obstacle to achieving the goals of the TCG architecture



security might be fundamentally incompatible with privacy

**high security
&
low privacy**



obstacle to achieving the goals of the TCG architecture



security might be fundamentally incompatible with privacy

**high security
&
low privacy**

**high privacy
&
low security**



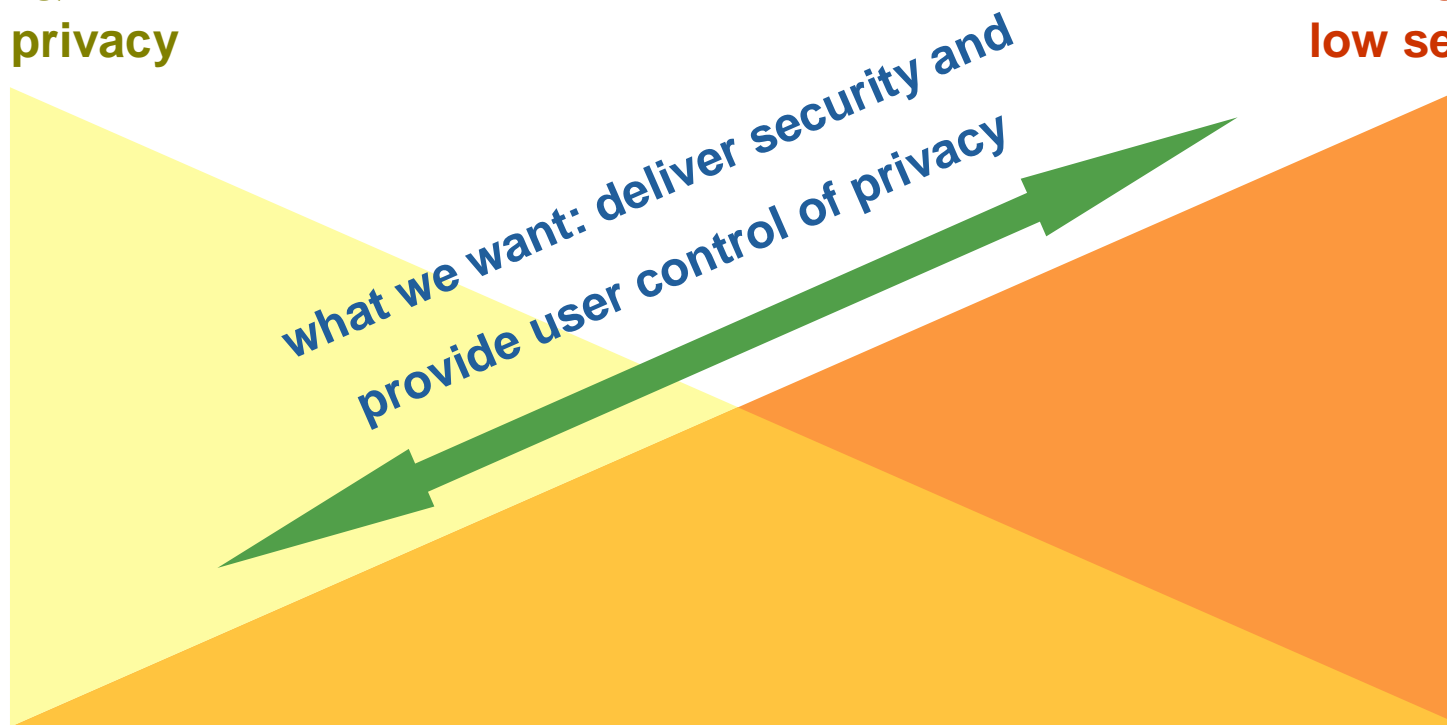
obstacle to achieving the goals of the TCG architecture



security might be fundamentally incompatible with privacy

high security
&
low privacy

high privacy
&
low security



TPM (trusted platform module)



the TPM is the root of trust for reporting -

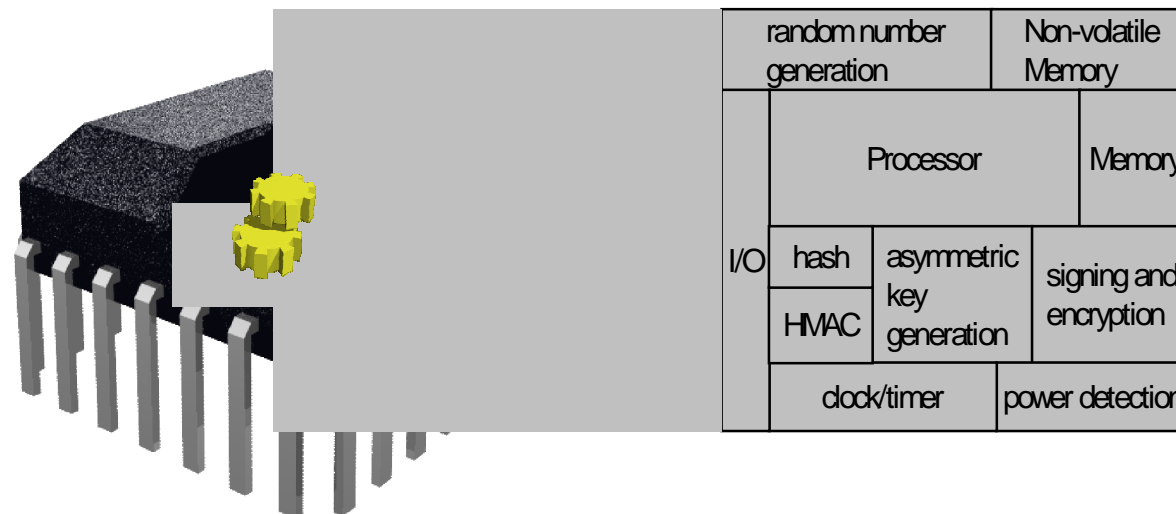
- it offers smartcard-like security capability embedded into the platform
- it is trusted to operate as expected (conforms to the TCG spec)
- it is uniquely bound to a single platform
- its functions and storage are isolated from all other components of the platform (e.g., the CPU)

TPM (trusted platform module)



the TPM is the root of trust for reporting -

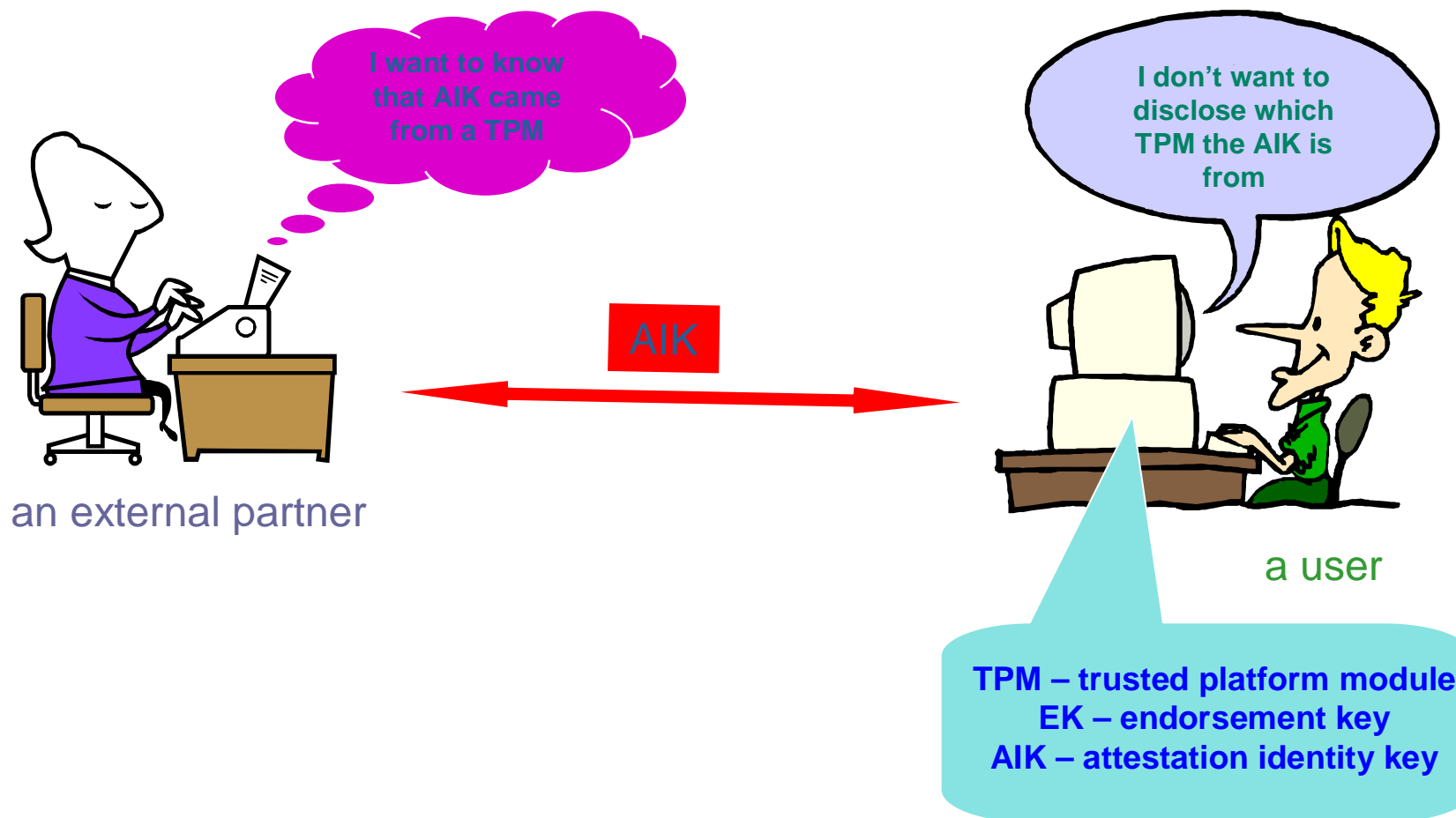
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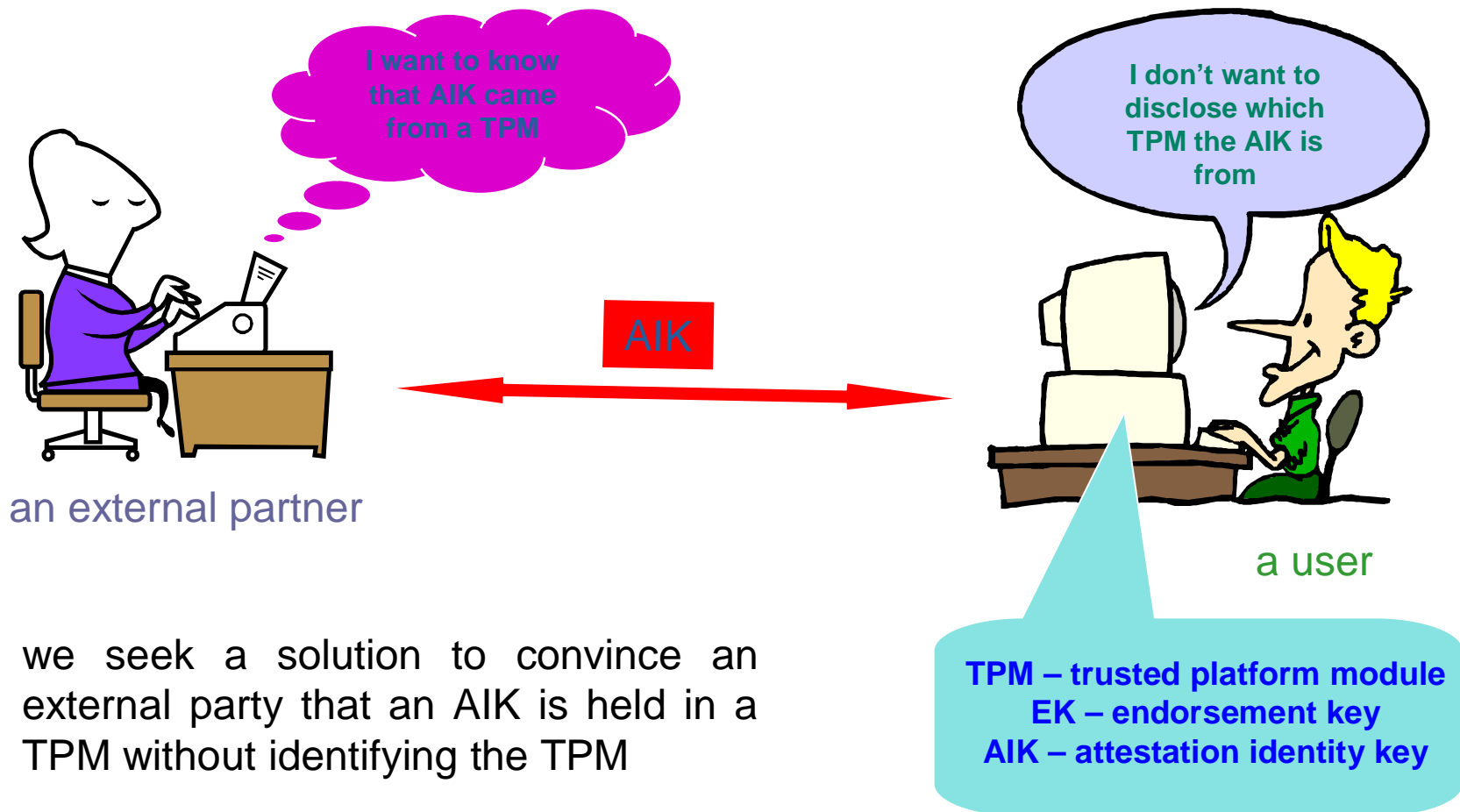
- TCG requires a TPM to have an embedded “**endorsement key (EK)**”, to prove that a TPM is a particular genuine TPM
- EK is not a platform identity
- TCG lets a TPM control “multiple pseudonymous attestation identities” by using “**attestation identity key (AIK)**”
- AIK is a platform identity, to attest to platform properties

we need a link between EK and AIK

privacy issue



privacy issue



we seek a solution to convince an external party that an AIK is held in a TPM without identifying the TPM

- what is DAA?
- what is DAA for?
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previous solution is not good enough



the previous solution (before TCG TPM spec. v1.2) -

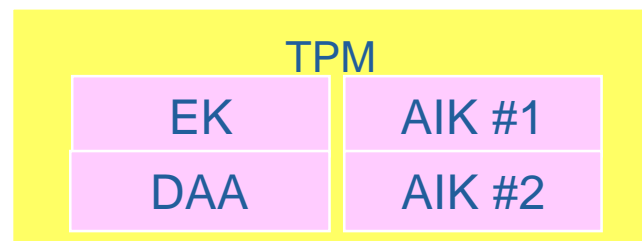
- involves a TTP to issue certificates
- allows choice of any (different) certification authorities (privacy-CA) to certify each TPM identity
- can help prevent correlation, however
anonymity is dependent upon the private-CA

our goal and solution

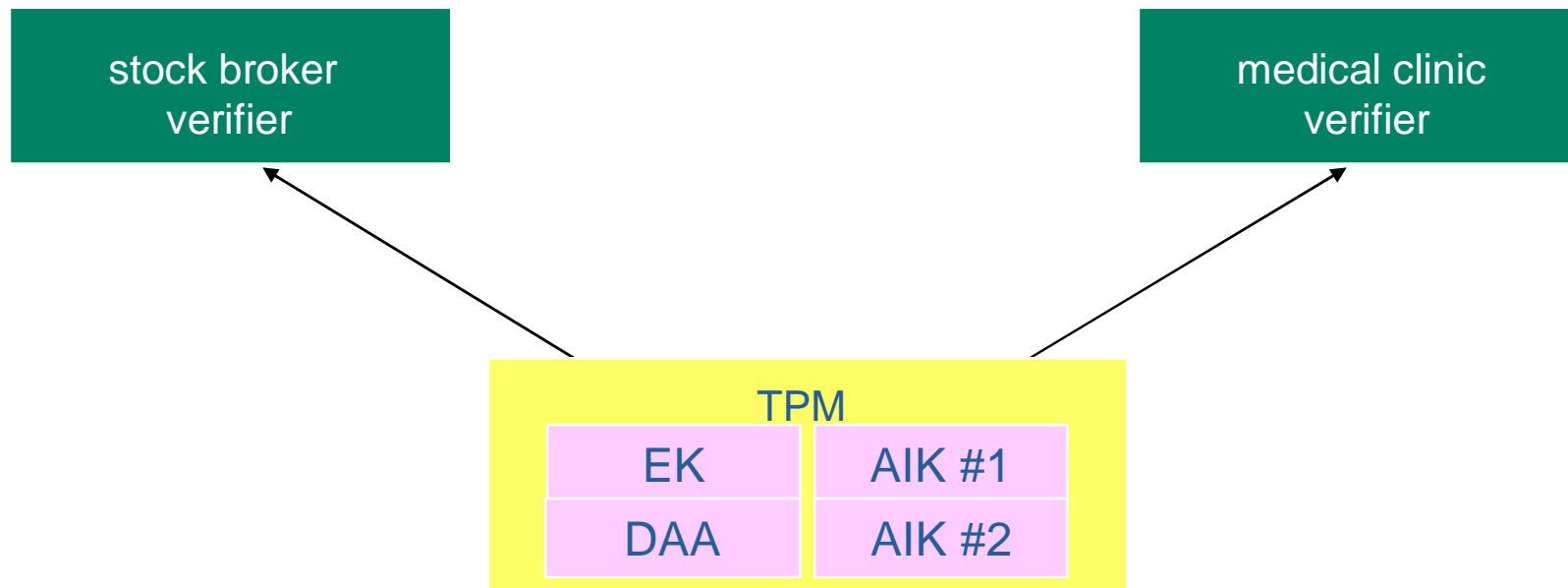


- our goal: a solution provides
 - anonymity without a TTP
 - authentication without a certificate
- our solution:
 - **direct anonymous attestation (DAA)**
direct proof replaces the TTP

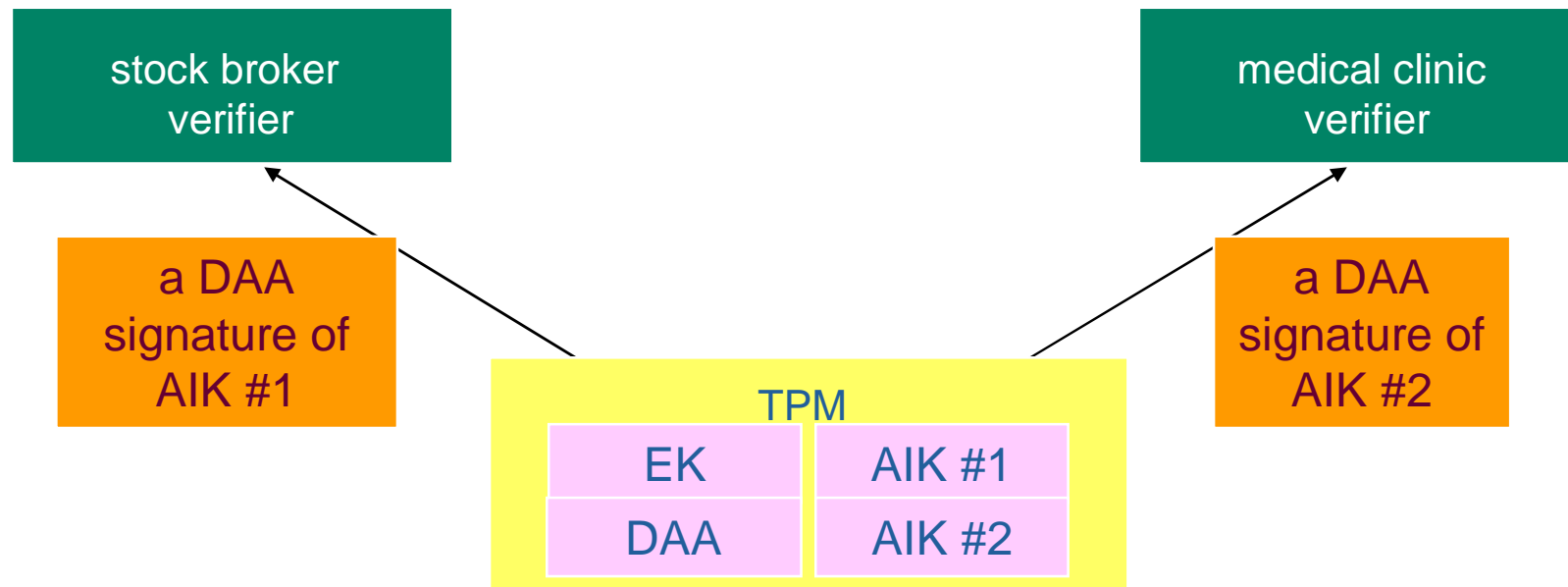
a simple picture of DAA



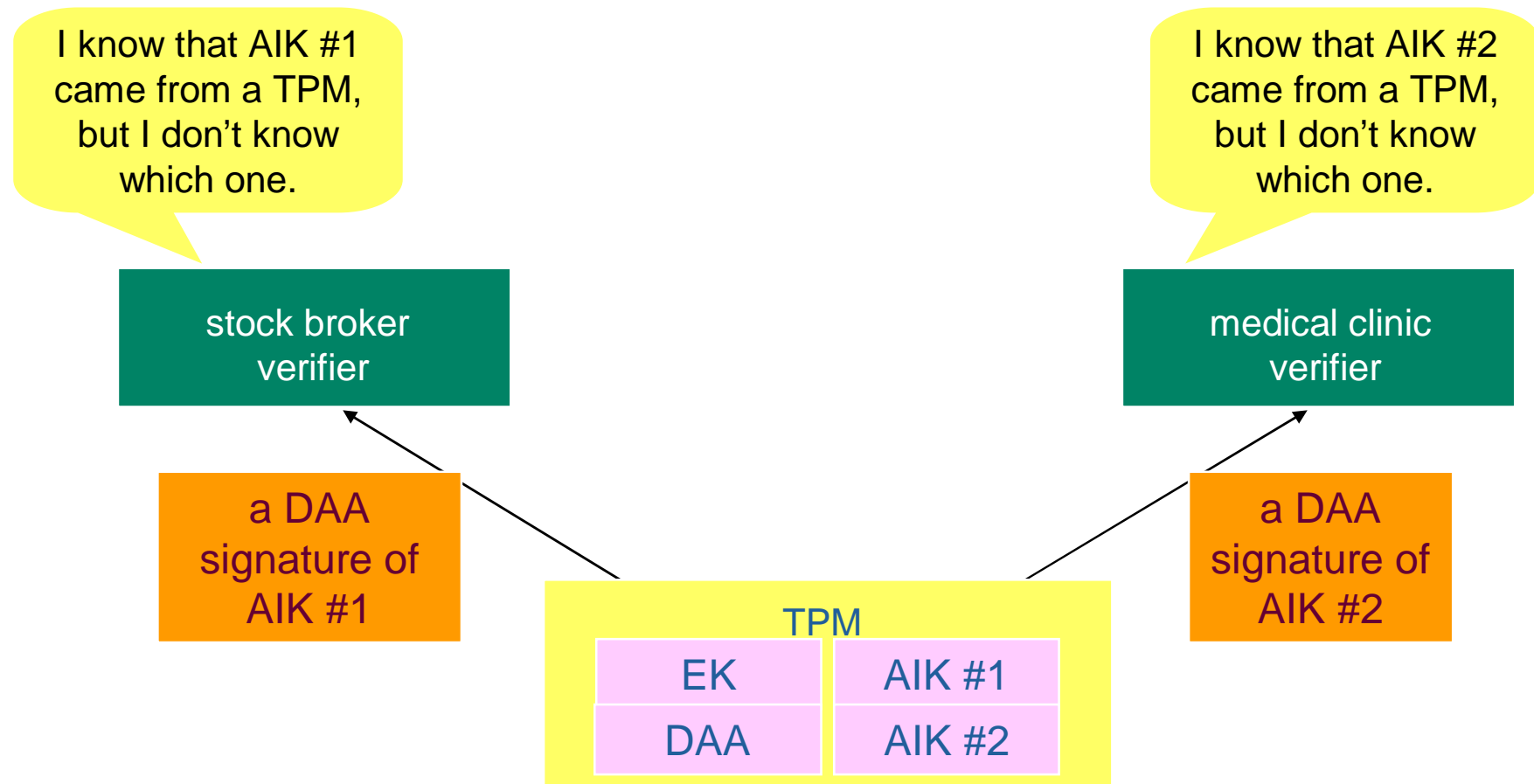
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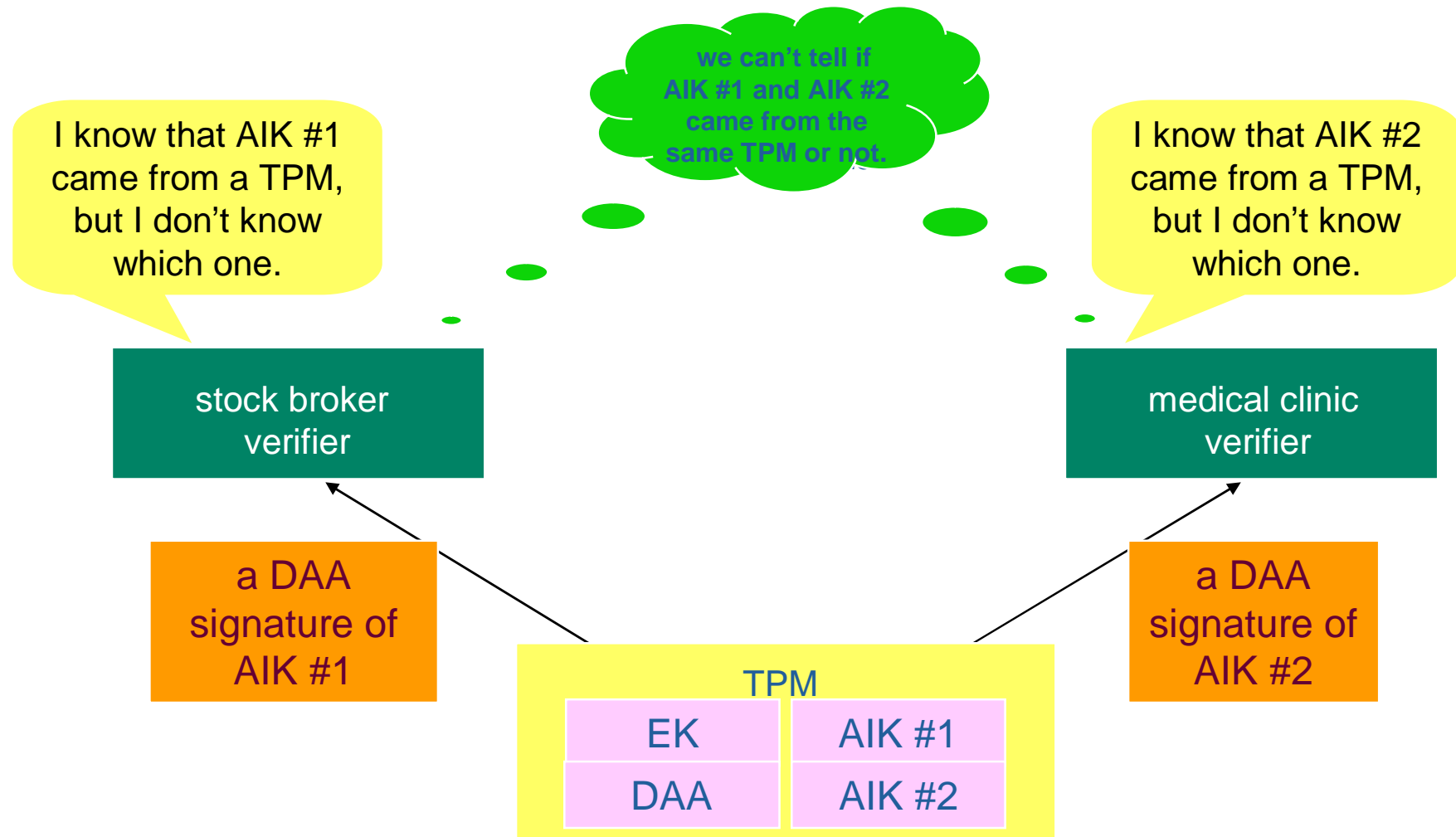
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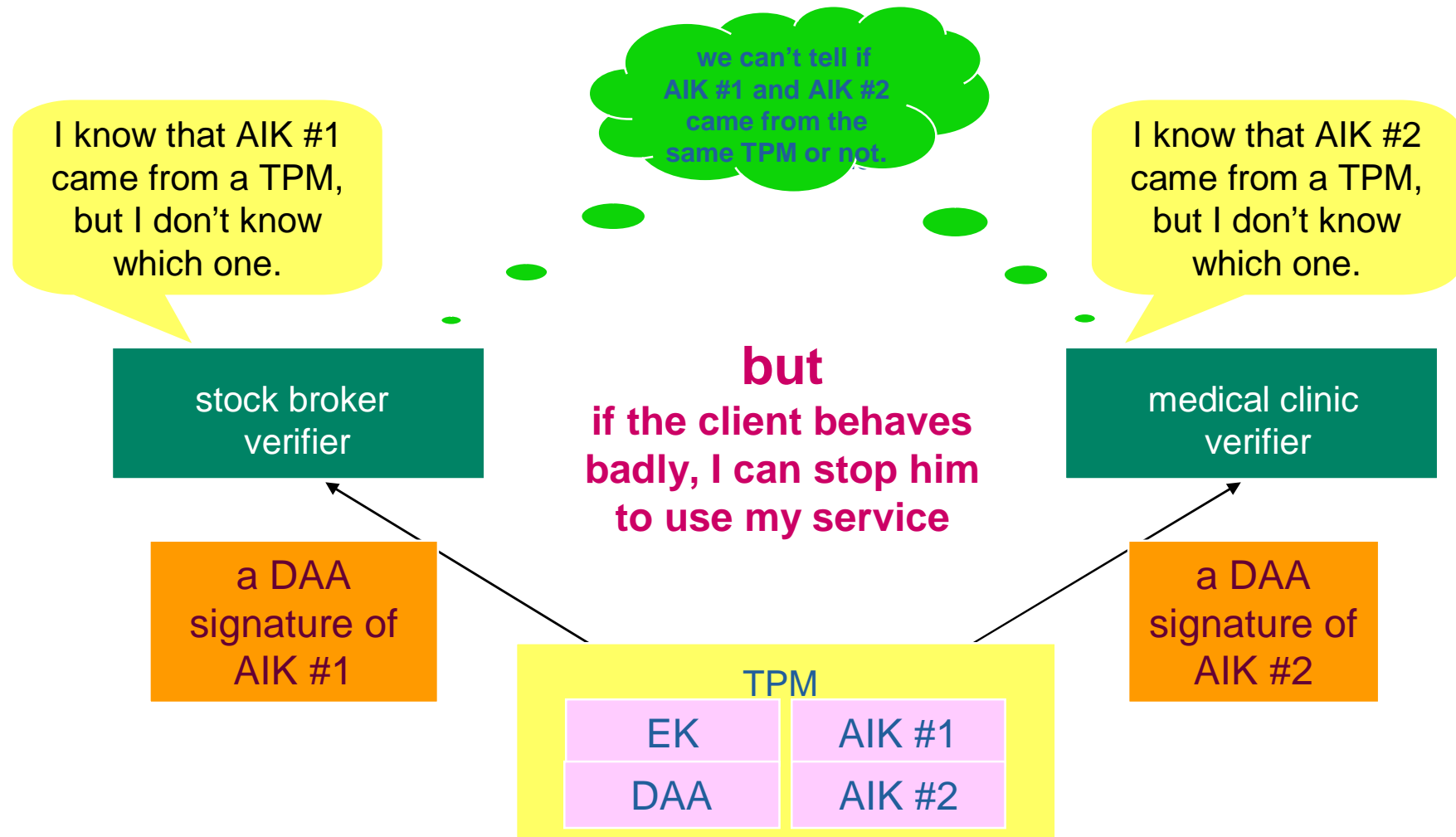
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a simple picture of DAA



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the DAA scheme outline



- entities
 - DAA issuer: a DAA certificate issuer (e.g., a manufacturer of TCG platforms)
 - DAA signer: a trusted platform module (TPM) with help from a host platform
 - DAA verifier: an external partner (e.g., a service provider)
- primitives
 - system and issuer setup
 - join protocol
 - signing algorithm
 - verifying algorithm
 - solution of restricted link
 - solution of revocation

- Issuer public key: $PK_I = (hk, n, g', g, h, S, Z, R_0, R_1, g, \Gamma, r)$
 - RSA parameters with
 - n – an RSA modulus
 - $g' \in QR_n$
 - $g, h \in \langle g' \rangle$
 - $S, Z \in \langle h \rangle$
 - $R_0, R_1 \in \langle S \rangle$
 - a group of prime order with
 - Γ - modulus (prime)
 - r - order (prime, s.t. $r/\Gamma - 1$)
 - g - generator ($g^r = 1 \bmod \Gamma$)
 - a hash function
 - H_{hk} - a hash function of length hk
- private key: factorisation of n

a non-interactive
proof of
correctness of
key generation
(using the Fiat-
Shamir heuristic)

entities: TPM, Host and Issuer

- DAA signing key (created by TPM):
 - f_0, f_1 (104-bit)
- DAA certificate (created with Issuer):
 - v (2536-bit)
 - A (2048-bit)
 - e (prime $\in_R [2^{367}, 2^{367} + 2^{119}]$)

$$R_0^{f_0} R_1^{f_1} S^v A^e = Z(\text{mod } n)$$

values R_0, R_1, S, Z, n are part of PK_I

- TPM stores $f_0, f_1, v, H(A||e||PK_I)$
- Host stores A and e

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- Host stores A and e

an authentic channel
between TPM and
Issuer using the
endorsement key (EK)
of TPM

v is contributed by
both TPM and Issuer

TPM proves to Issuer
knowledge of f_0, f_1 and
its contribution on v

Issuer proves to Host
correctness of
certificate generation

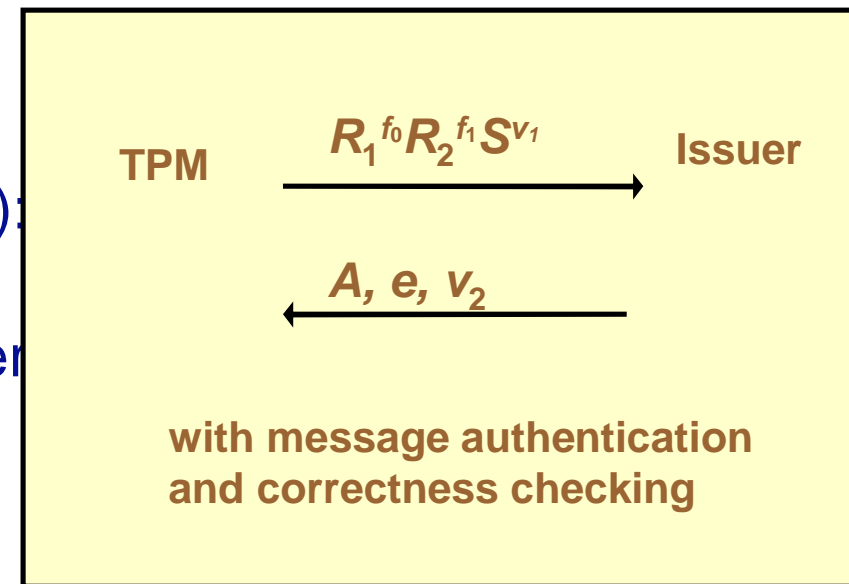
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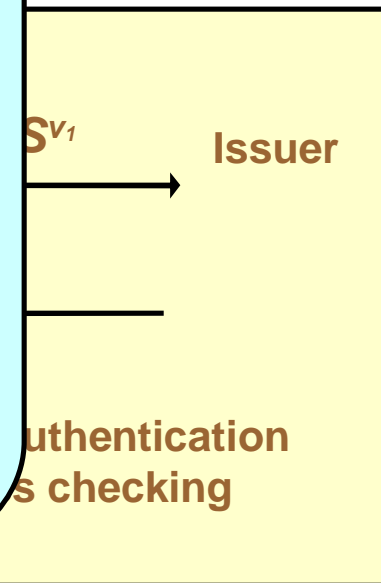
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 - f_0, f_1 (104-bit)
- DAA certificate
 - v (2536-bit)
 - A (2048-bit)
 - e (prime $\in_R [2^{367}, 2^{368}]$)

$$R_0^{f_0} R_1^{f_1} S^v A^e = Z(\text{mod } n)$$

values R_0, R_1, S, Z, n are part of PK_I

- TPM stores $f_0, f_1, v, H(A||e||PK_I)$
- Host stores A and e

the Camenisch-Lysyanskaya signature scheme and based on the strong RSA problem
given n and z
find a and e
s.t. $a^e = z \pmod{n}$



TPM proves to Issuer
knowledge of f_0, f_1 and
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Issuer proves to Host
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certificate generation

Schnorr signature

private/public key
 $(x, y = g^x)$

signature

msg - message

$r \in_R \{0, 1\}^l$

$t = g^r$

$c = H(t || msg)$

$S = r + xC$

$S = (c, s)$

verification

$c \equiv H(g^s y^c || msg)$

DAA signature

private key : f_0, f_1

certificate : v, A, e , satisfying $R^{f_0} R^{f_1} S^v A^e = Z \pmod{n}$

public key : $PK_I = (hk, n, g', g, h, R_0, R_1, S, Z, g, \Gamma, r)$

commitment

$w, r \in_R \{0, 1\}^l$ Z – the base name

$T_1 = Ah^w \pmod{n}$ $T_2 = g^w h^e (g')^r \pmod{n}$

$N_v = Z^{f_0 + f_1 2^{104}} \pmod{\Gamma}$

signature

msg, r, t, c, s, S

a DAA signature is presented by

msg, r, t, c, s, S

sign



$msg = b || m$

$b \in \{0,1\}$

$m \in \{\text{AIK, other string}\}$

if $b = 0$,

$m = \text{AIK - RSA key}$

if $b = 1$

$m = \text{other string}$

DAA signature

msg, r, t, c, s, S

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$r = \{r_{v_1}, r_{v_2}, r_{f_0}, r_{f_1},$
 $r_e, r_{ee}, r_w, r_r, r_{ew}, r_{er}\}$

$r_{v_1}, r_{v_2}, r_{f_0}, r_{f_1}$

are chosen by TPM

$r_e, r_{ee}, r_w, r_r, r_{ew}, r_{er}$

are chosen by Host

re

msg, r, t, c, s, S

$$msg = b || m$$

$$b \in \{0,1\}$$

$$m \in \{\text{AIK, other string}\}$$

$$\text{if } b = 0,$$

$$m = \text{AIK - RSA}$$

$$\text{if } b = 1$$

$$m = \text{other string}$$

$$r = \{r_{v_1},$$

$$r_e, r_{ee}$$

$$r_{v_1}, r_{v_2}, r_{v_3},$$

$$\text{are chosen}$$

$$r_e, r_{ee}, r_{v_1},$$

$$\text{are chosen}$$

$$t = \{\tilde{T}_1, \tilde{T}_2, \tilde{T}'_2, \tilde{N}_v\}$$

$$\tilde{T}_1 = R_0^{r_{f_0}} R_1^{r_{f_1}} S^{r_{v_1}} S^{r_{v_2}} T_1^{r_e} h^{-r_{ew}} \pmod{n}$$

$$\tilde{T}_2 = g^{r_w} h^{r_e} g^{r_r} \pmod{n},$$

$$\tilde{T}'_2 = T_2^{-r_e} g^{r_{ew}} h^{r_{ee}} g^{r_{er}} \pmod{n}$$

$$\tilde{N}_v = Z^{r_{f_0} + r_{f_1}} 2^{104} \pmod{\Gamma}$$

$$\text{TPM computes } R_0^{r_{f_0}} R_1^{r_{f_1}} S^{r_{v_1}} S^{r_{v_2}}$$

$$\text{and } \tilde{N}_v$$

$$\text{Host computes others}$$

msg, r, t, c, s, S

$msg = b || m$

$b \in \{0,1\}$

$m \in \{\text{AIK, other string}\}$

if $b = 0$,

$m = \text{AIK - RSA}$

if $b = 1$

$m = \text{other string}$

$r = \{r_{v_1},$

r_e, r_e

$r_{v_1}, r_{v_2}, r_{v_1}$

are chosen

r_e, r_{ee}, r_{ee}

are chosen

$c = \{PK_I || z ||$

$\text{commitment} ||$

$t || n_v || n_t || msg\}$

where n_v and n_t

are nonce

chosen by

verifier & TPM

respectively

msg, r, t, c, s, S

$$msg = b || m$$

$$b \in \{0,1\}$$

$m \in \{\text{AIK, other string}\}$

if $b = 0$,

$m = \text{AIK - RSA}$

if $b = 1$

$m = \text{other string}$

$$r = \{r_{v_1},$$

$$r_e, r_{ee}$$

$$r_{v_1}, r_{v_2}, r_{v_3},$$

are chosen

$$r_e, r_{ee}, r_{er}$$

are chosen

$$c =$$

where

are

chosen

values

result

$$s_{f_0} = r_{f_0} + cf_0$$

$$s_{f_1} = r_{f_1} + cf_1$$

$$s_v = r_v + cv$$

$$s_e = r_e + c(e - 2^{367})$$

$$s_{ee} = r_{ee} + ce^2$$

$$s_w = r_w + cw$$

$$s_{ew} = r_{ew} + cew$$

$$s_r = r_r + cr$$

$$s_{er} = r_{er} + cer$$

msg, r, t, c, s, S

$msg = b || m$

$b \in \{0,1\}$

$m \in \{\text{AIK, other string}\}$

if $b = 0$,

$m = \text{AIK - RSA}$

if $b = 1$

$m = \text{other string}$

$r = \{r_{v_1}$

r_e, r_{ee}

$r_{v_1}, r_{v_2}, r_{v_3}$

are chosen

r_e, r_{ee}, r_{v_1}

are chosen

$c =$

where

are

chosen

values

result

signature:

$S = (z, \text{commitment}, c, n_t, s)$

$= (z, T_1, T_2, N_v, c, n_t,$

$s_v, s_{f_0}, s_{f_1}, s_e, s_{ee},$

$s_w, s_{ew}, s_r, s_{er})$

msg, r, t, c, s, S

input - message, signature and public key of Issuer

$$b \parallel m, S = (z, T_1, T_2, N_v, c, n_t, s_v, s_{f_0}, s_{f_1}, s_e, s_{ee}, s_w, s_{ew}, s_r, s_{er})$$

$$PK_I = (hk, n, g, g', h, R_0, R_1, S, Z, \Gamma, r)$$

compute -

$$\hat{T}_1 = Z^{-c} T_1^{s_e + c2^{367}} R_0^{s_{f_0}} R_1^{s_{f_1}} S^{s_v} h^{-s_{ew}} \pmod{n}$$

$$\hat{T}_2 = T_2^{-c} g^{s_w} h^{s_e + c2^{367}} (g')^{s_r} \pmod{n}$$

$$\hat{T}'_2 = T_2^{-(s_e + c2^{367})} g^{s_{ew}} h^{s_{ee}} (g')^{s_{er}} \pmod{n}$$

$$\hat{N}_v = N_v^{-c} Z^{s_{f_0} + s_{f_1}} 2^{104} \pmod{\Gamma}$$

verify -

$$c \equiv H_{hk}(PK_I \parallel z \parallel T_1 \parallel T_2 \parallel N_v \parallel \hat{T}_1 \parallel \hat{T}_2 \parallel \hat{T}'_2 \parallel \hat{N}_v \parallel n_t \parallel n_v \parallel b \parallel m)$$

$$N_v, Z \in_R \langle g \rangle \quad z = (H_\Gamma(1 \parallel bsn))^{(\Gamma-1)/r} \pmod{\Gamma}$$

$$s_{f_0}, s_{f_1} \in \{0,1\}^{345} \quad s_e \in \{0,1\}^{361}$$

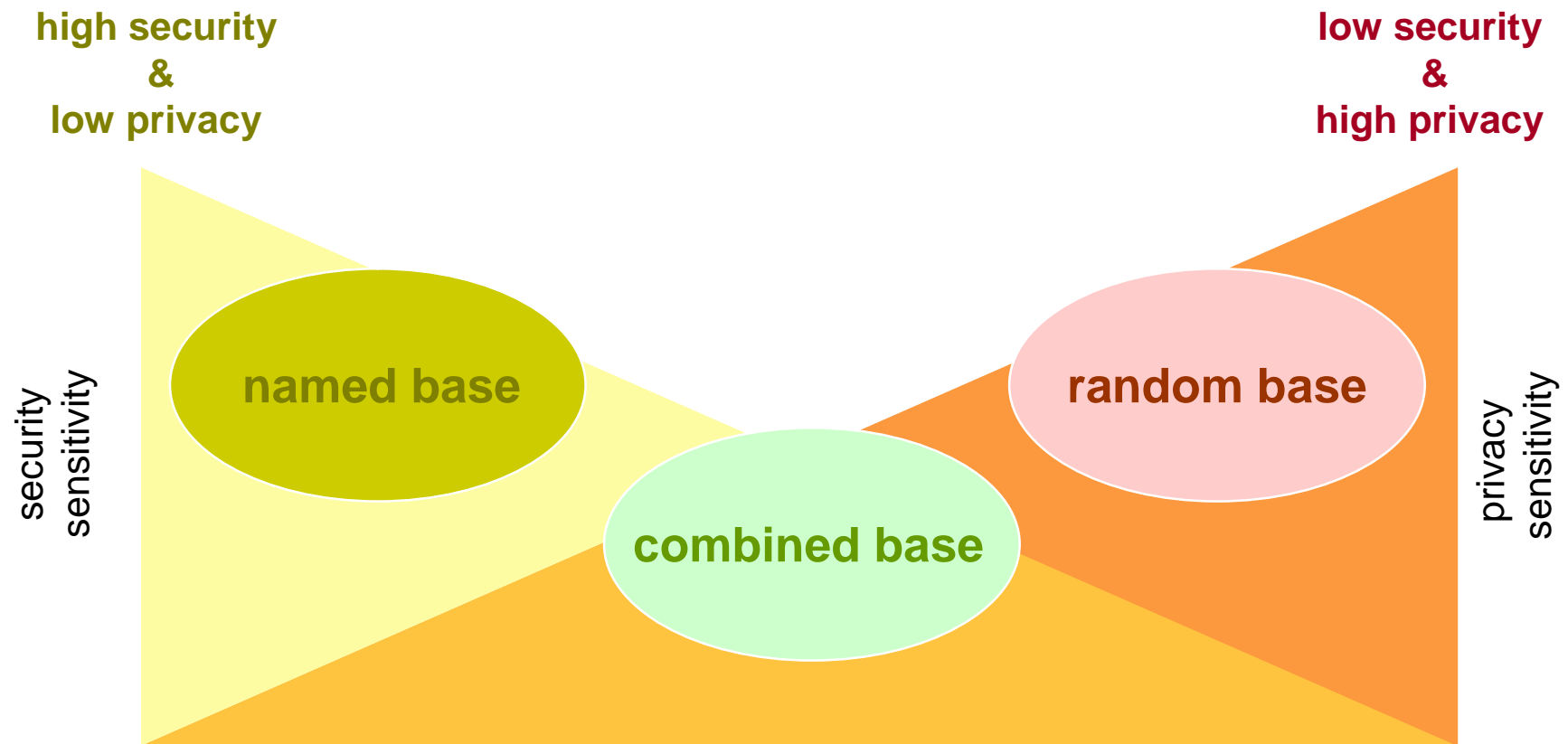
restricted link for a verifier

- named/random base in a DAA signature



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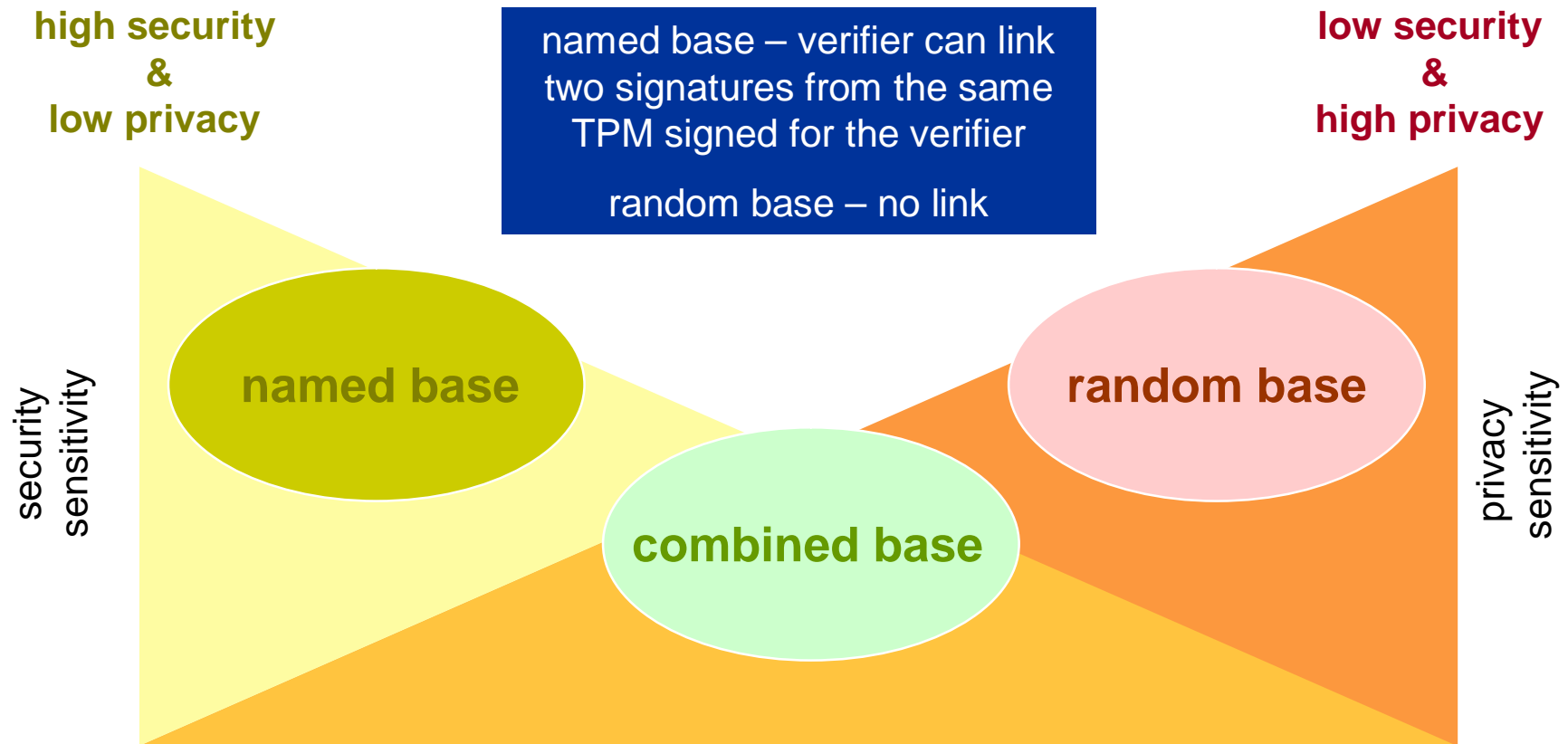
restricted link for a verifier

- named/random base in a DAA signature



a base: $z \in_R \langle g \rangle$ or $z = (H(1 || bsn))^{(\Gamma-1)/r} \pmod{\Gamma}$

$$N_v = z^{f_0 + f_1 2^{104}} \pmod{\Gamma}$$



revoking a certificate



- if f_0 and f_1 are known
 - put f_0 and f_1 on a certificate revocation list and check the list in each verification process
- if f_0 and f_1 are not known
 - the name base solution can help a verifier to create his own certificate revocation list with

$$N_v = z^{f_0 + f_1 2^{104}} \pmod{\Gamma}$$

$$z = (H(1 || \text{bsn}))^{(\Gamma-1)/r} \pmod{\Gamma}$$

- we prove the above DAA scheme is secure in the random oracle model under
 - the strong RSA assumption
 - the DDH assumption in QR_n and
 - the DDH assumption in $\langle g \rangle$
- By “the scheme is secure”, we mean
 - there exists no adversary that can adaptively run the join protocol, ask for signature by other (i.e., honest) members, and then output a signature containing a value N_v such that for all f_0 and f_1 extracted from the adversary in the join protocol N_v does not match

$$N_v = z^{f_0 + f_1 2^{104}} \pmod{\Gamma}$$

DAA -

- § is a signature scheme
- § offers a zero knowledge proof of a key certificate
- § provides a variety of balances between security and privacy by choosing
 - random base – for privacy sensitive cases
 - named base – for non privacy-sensitive cases
 - combinations
- § has a security proof in the random oracle model based on:
 - the strong RSA assumption
 - the DDH assumption

future work



- more flexible privacy solutions
- more flexible revocation solutions

- TCG initiatives:

<http://www.trustedcomputing.org>

- E. Brickell, J. Camenisch and L. Chen. Direct anonymous attestation. In *Proc. 11th ACM Conference on Computer and Communications Security*, pages 132-145, ACM press, 2004
- B. Balacheff, L. Chen, S. Pearson, D. Plaquin and G. Proudler, **Trusted Computing Platforms: TCPA technology in context**, Prentice Hall PTR, 2003



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